## 2020

# Practical Parallel Computing （実践的並列コンピューティング） No． 2 

Introduction（2）<br>May 11， 2020

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## Overview of This Course

- Part 0: Introduction
- 2 classes $\leqslant$ We are here (2/2)
- Part 1: OpenMP for shared memory programming
- 4 classes
- Part 2: GPU programming
- OpenACC and CUDA
- 4 classes
- Part 3: MPI for distributed memory programming
- 3 classes


## Computation on Computer Architecture

- Computation (Software) = Algorithm + Data
- Architecture (Hardware) = Processor + Memory Note: This is so simplified discussion

Computer Architecture


Computation Example

```
int a[3] ={10, 20, 30};
int i;
for (i = 0; i < 3; i++) {
    a[i] = a[i] *2;
}
```


## What is Parallel Architecture?

- Parallel architecture has MULTIPLE components
- Two basic types:


## Shared memory parallel architecture



Distributed memory parallel architecture


- Different programming methods are used for different architecture


## Modern SCs use Both!

Modern SCs are combination of "shared" and "distributed" "shared memory" in a node
"distributed memory" among nodes, connected by network


[^0]

## (Confusing) Terminology

- In old days, definition of "processor" was simple

- Since around 2005, "multicore processor" became popular
A processor package



## A TSUBAME3 Node

- 2 processor packages (CPU) $\times 14$ cores
- 28 cores share memory



## A TSUBAME3 Node with GPUs

- A node has 2 CPUs + 4 GPUs
- Each GPU (Tesla P100) has 3,584 cores


Network: connected to other nodes
x 540 nodes

## A TSUBAME3 Node in More Detail



# Classification of Parallel Programming Models 

Sequential


Programming without parallelsim

Shared memory prog. model


Threads have access to shared data

- OpenMP
- pthread
- Java thread...

Distributed memory prog. model


Need communication among processes

- MPI
- socket
- Hadoop, Spark...


## Programming Models on Architecture



It's OK to make multiple processes on a node

- Shared memory model (Part 1) can use only cores in a single node (up to 28 cores on TSUBAME3)
- Distributed memory model (Part 3) supports large scale parallelism ( $\sim 15,000$ cores on TSUBAME3)


# Parallel Programming Methods on TSUBAME 

OpenACC/CUDA


OpenMP Sequential

Standard route Web-only route

## TSUBAME Interactive Node



A node is partitioned into 4 . Each user can use

- $1 / 4$ node $=7$ CPU cores +60 GB memory +1 GPU (3584cores+16GB mem)
- Only one partition simultaneously

A partition may be shared by several users $\rightarrow$ you may suffer from slow down

# Sample Programs in this Lecture 

- /gs/hs1/tga-ppcomp/20/ directory
- You have to a member of tga-ppcomp group
- There are sub-directories per sample
- Sequential sample programs
- pi: approximation of pi ( $\pi$ )
- mm: matrix multiplication
- diffusion: simple simulation of diffusion phenomena
- fib: Fibonacci number
- sort: quick-sort sample


## Using Sample Programs (1) Make Copies

- Samples in/gs/... are "read-only", so make copies of samples into somewhere in your home directory
- Where is somewhere? If you are using web-only route, ~/t3workspace looks good
- In the case of "mm" sample
[make sure that you are at a interactive node (r7i7nX) ]
cd ~/t3workspace [In web-only route] cp -r/gs/hs1/tga-ppcomp/20/mm . cd mm
don't forget space \& dot


# Using Sample Programs (2) Executing mm 

- In the case of "mm" sample

```
[make sure that you are at mm directory]
Is
[you will see 3 files of mm.c, Makefile, job.sh]
make
[this creates an executable file "mm"]
./mm 1000 10001000
[this is the execution of mm sample]
```


## Using Sample Programs (3) Executing Samples

Before execution, please do "copy" and "make" for each sample

- mm
./mm 100010001000 Options are matrix sizes $m, n, k$
- pi


## ./pi 10000000 <br> Option is number of samples $n$

- diffusion


Option is number of time steps $n t$
Option is sequence index $n$

- sort
./sort 10000000

Option is array length $n$ to be sorted

## "mm" sample: Matrix Multiply

## Available at /gs/hs1/tga-ppcomp/20/mm/

A: a $(\mathrm{m} \times \mathrm{k})$ matrix
B: a $(\mathrm{k} \times \mathrm{n})$ matrix
C: a $(\mathrm{m} \times \mathrm{n})$ matrix

$$
C \leftarrow A B
$$

- This sample supports variable matrix sizes

- Execution: ./mm [m] [n] [k]


## Matrix Multiply Algorithm (1)


$\mathrm{C}_{\mathrm{i}, \mathrm{j}}$ is defined as the dot product of

- A's i-th row
- B's j-th column

The algorithm uses triply-nested loop

$$
\begin{aligned}
& \text { for }(i=0 ; i<m ; i++)\{ \\
& \text { for }(j=0 ; j<n ; j++)\{ \\
& \quad \text { for }(I=0 ; 1<k ; I++)\{ \\
& \quad C_{i}, j+=A_{i, l} * B_{i, j} ; \\
& \text { \} \} }\}
\end{aligned}
$$

$\leftarrow$ For each row in C
$\leftarrow$ For each column in C
$\leftarrow$ For dot product

## Matrix Multiply Algorithm (2)

for (i = 0; i <m; i++) \{
for ( $\mathrm{j}=0$; j < n; j++) \{ for ( $1=0$; | < k; I ++ ) \{

$\leftarrow$ For each row in C
$\leftarrow$ For each column in C
$\leftarrow$ For dot product

- The innermost statement is executed for mnk times
- Compute Complexity: O(mnk)
- Computation speed (Flops) is obtained as $2 \mathrm{mnk} / \mathrm{t}$, where $t$ is execution time

The innermost statement includes 2 (floating point) calculations: *, +

- [Q] What if loop order is changed?
- Number of operations does not change. But how is the speed?


# Variable Length Arrays in (Classical) C Language 

- double C[n]; raises an error. How do we do?
- void *malloc(size_t size);
$\Rightarrow$ Allocates a memory region of size bytes from "heap region", and returns its head pointer
- When it becomes unnecessary, it should be discarded with free() function

A variable length array
A fixed length array double C[5];
... C[i] can be used ...

```
double *C;
C = (double *)malloc(sizeof(double)*n);
... C[i] can be used ...
                                array length
free(C);
```


# How We Do for Multiple Dimensional Arrays 

double C[m][n]; raises an error. How do we do?
Not in a straightforward way. Instead, we do either of:
(1) Use a pointer of pointers

- We malloc m 1D arrays for every row (each has $n$ length)
- We malloc 1D array of $m$ length to store the above pointers
(2) Use a 1D array with length of $m \times n$
(mm sample uses this method)
- To access an array element, we should use C[i*n+j] or C[i+j*m], instead of C[i][j]


## Express a 2D array using a 1D array



Expressions in C language (Example) double ${ }^{*} \mathrm{C}$; $\mathrm{C}=$ malloc(sizeof(double)*${ }^{*} \mathrm{n}$ );

$C[1 * n+3]$
In this case, an element $\mathrm{C}_{\mathrm{i}, \mathrm{j}}$ is $\mathrm{C}\left[{ }^{*} \mathrm{n}+\mathrm{j}\right]$

## Two Data Formats

Row major format

- More natural for C programmers


Column major format

- BLAS library
- mm sample uses this

- We have more choices for 3D, 4D... arrays
[Q] Does the format affect the execution speed?


## Actual Codes in mm Sample

$$
\begin{aligned}
& \text { for }(i=0 ; i<m ; i++)\{ \\
& \quad \text { for }(j=0 ; j<n ; j++)\{ \\
& \quad \text { for }(I=0 ; \mid<k ; I++)\{\quad \text { IJL order } \\
& \quad C_{i}, j+=A_{i}, 1 * B_{i, j} ; \\
& \quad\}\}\}
\end{aligned}
$$

$$
\text { for }\left(j=0 ; j \frac{}{<n ; j++)\{ }\right.
$$

$$
\text { for }(1=0 ; 1<k ; 1++)\{
$$

$$
\text { double } b \mid j=B[I+j * \mid d b] \text {; }
$$

Changed to JLI order (a bit faster)

$$
\begin{aligned}
& \text { for }(i=0 ; i<m ; i++) \\
& \text { double ail }=A[i+|*| d a] ;
\end{aligned}
$$

$$
\text { \}\}\} }
$$

$$
C[i+j * \mid d c]+=a i l * b \mid j ;
$$

## Time Measurement in Samples

- gettimeofday() function is used
- It provides wall-clock time, not CPU time
- Time resolution is better than clock()

```
#include <stdio.h>
#include <sys/time.h>
{
    struct timeval st, et;
    long us;
    gettimeofday(&st, NULL); /* Starting time */
    ...Part for measurement ...
    gettimeofday(&et, NULL); /* Finishing time */
    us = (et.tv_sec-st.tv_sec)*1000000+
    (et.tv_usec-st.tv_usec);
    /* us is difference between st & et in microseconds */
}
```


## If You Have Not Done This Yet

Please do the followings as soon as possible
－Please make your account on TSUBAME
－Please send an e－mail to ppcomp＠el．gsic．titech．ac．jp

```
Subject: TSUBAME3 ppcomp account
To: ppcomp@el.gsic.titech.ac.jp
    Department name:
    School year:
    Name:
    Your TSUBAME account name:
```

Then we will invite you to the TSUBAME group，please click URL and accept the invitation
その後，TSUBAMEグループへの招待を送ります。メール中のURLを クリックして参加承諾してください

## Next Class:

## Introduction to OpenMP

- Shared memory parallel programming API
- Extensions to C/C++, Fortran
- Includes directives\& library functions
- Directives:\#pragma omp ~~


[^0]:    ※ Moreover, each processor (core) may have SIMD parallelism , such as SSE, AVX...
    A processor (core) can do several computations at once SIMD is out of scope of this class

