領域
$$I$$
 $z < 0$
 y
 $z > 0$

$$E_o + E_r + E_e = \hat{x}E_o = E_o \quad -M_e = \hat{y}E_o \quad E = 0$$

$$H_o + H_r + H_e = \hat{y}\frac{E_o}{Z_0} = H_o$$
 $\hat{n} \leftarrow$
完全導体

Figure 10: 領域 II を完全導体で満たした領域 I の等価モデル (2)

image theory is applied, region II is substituted by free space and the equivalent magnetic current becomes $-2\mathbf{M}_e$. This argument is valid only for z<0, where the equivalent electromagnetic field becomes $-2\mathbf{E}_{em}$ and $-2\mathbf{H}_{em}$ similar to the equations (7)(8).

$$\mathbf{E}_e = \hat{\mathbf{x}} E_0 \exp\left(jk_0 z\right) \tag{19}$$

$$\mathbf{H}_{e} = -\hat{\mathbf{y}}\frac{E_0}{Z_0} \exp\left(jk_0 z\right) \tag{20}$$

then these three components must be added as:

$$\mathbf{E}_o + \mathbf{E}_r + \mathbf{E}_e = \hat{\mathbf{x}} E_0 \exp(-jk_0 z) = \mathbf{E}_o$$
 (21)

$$\mathbf{H}_o + \mathbf{H}_r + \mathbf{H}_e = \hat{\mathbf{y}} \frac{E_0}{Z_0} \exp\left(-jk_0 z\right) = \mathbf{H}_o$$
 (22)

therefore, finally in region I the original field is obtained. And in region II the electromagnetic field vanishes because of PEC.